

Vectors can be represented through their components.

If we have a vector A , we can decompose it into its components in the x and y -directions by finding the vectors, one along x and one along y , that add up to the vector A . This is the same thing as finding the projections of the vector A along the x and y -axes.

Here is the projection of the vector onto the x -axis, its x -component.

And here is the projection onto the y -axis, the y -component.

This particular vector could be written as A is equal to minus $2\hat{i}$ plus minus $2\hat{j}$.

A generic vector in two dimensions can be written as A is equal to A_x , the x -component of A , times \hat{i} , the unit vector along x , plus A_y , the y -component, times \hat{j} , the unit vector along y .

If the vector is in three dimensions, we will also have an A_z times \hat{k} .

What if we have the vector minus $3\hat{i}$ plus $2\hat{j}$?

First we find the vector minus 3 times vector \hat{i} and add this to the vector 2 times \hat{j} .

We can draw this vector anywhere.

It doesn't have to start at the origin.